Q.P. Code: 20CE1002 []
F	Reg. No:		
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SIDDHARTH INSTITUTE OF ENGINEERING & TECHNOLOGY:: PUTTUR			
(AUTONOMOUS)			
M.Tech I Year I Semester Regular Examinations July-2021 ADVANCED SOLID MECHANICS			
	(Structural Engineering)		
,	Time: 3 hours	Max. N	/larks: 60
	(Answer all Five Units $5 \times 12 = 60$ Marks)		
	UNIT-I		
1	a State Hooke's law and explain about pure shear.	L2	6M
	b Explain about components of strain at a point.	L2	6 M
	OR		
2	The state of stress at a point is given by $\sigma xx = 10$ MPa , $\sigma yy = 20$ MPa, $\sigma zz = 10$ MPa $\sigma zz = 10$ MPa $\sigma zz = 20$ MPa If $z = 20$ MPa and $z = 20$ MPa $\sigma zz = 20$ MPa $z = 2$		1014
	$\tau xy = 20$ MPa , $\tau yz = 10$ MPa, $\tau xz = 30$ MPa If E=250 GPa and G= 80 GPa . Find ou the corresponding strain components from Hook's Law.	L L3	12M
	UNIT-II		
3	a Check whether the following Where $C = constant$		
	$\varphi = \frac{q}{8c^3} [x^2(y^3 - 3c^2y + 2c^3] - \frac{1}{5}y^3(y^2 - 2c^2)$	L1	6M
	b What is plane strain? Explain it.	L4	6M
	OR		
4	Investigate what problem is solved by the stress function.		
	$\phi = \frac{P}{2\pi} \left[X^2 + Y^2 Arctan\left(\frac{Y}{X}\right) - XY \right]$	L1	12M
	UNIT-III		
5	Derive the diffential equilibrium equation in polar coordinates for two dimensiona elastic bodies.	¹ L2	12M
	OR		
6	Explain generalized solution of the two-dimensional problem in polar coordinates	L2	12M
7	Derive the equation of equilibrium for 3-D stress state. OR	L6	12M
8	a Derive the equations of equilibrium in terms of displacements.	L2	6M
	b Explain the term uniqueness of solution.	L1	6M
	UNIT-V		
9	Derive an expression for torsion of a bar of narrow rectangular cross section. OR	L2	12M
10	Explain and derive the equation for the Prandtle's membrane analogy.	L2	12M

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